

# Best Merge Region Growing for Color Image Segmentation

N.M.Shalini, D.Jeyakumari

**Abstract**— Image segmentation is a first step in the analysis of high spatial images using object based image analysis. The segmentation quality is important in the analysis of images. Hierarchical image segmentation (HSeg) is a hybrid of region growing and spectral clustering that produces a hierarchical set of image segmentations. Processing time of HSeg is high because of the intercomparisons of each region to every other regions. It can be reduced by recursive version of HSeg (RHSeg). RHSeg is difficult to process the moderately sized images. So the proposed method, refined version of HSeg is introduced to reduce the computing time. The main purpose of this paper is reducing the processing time and increases the segmentation quality. The computing time is reduced by limiting the region object aggregation to regions containing a dynamically varied minimum number of pixels. In the proposed method the similarity calculation was based on probabilistic method. Using Bayesian probabilistic method the regions are merged and output is obtained. This method is better than previous method and the quality also increases.

**Index Terms**—Bayesian network, Cues, Hierarchical segmentation, Natural convergence point, Object based image analysis, Recursive segmentation, Spectral clustering

## 1 INTRODUCTION

Image segmentation is a fundamental yet still a challenging problem in computer vision and image processing. In particular, it is an essential process for many applications such as object recognition, target tracking, content-based image retrieval, and medical image processing. For remotely sensed images of the Earth, an example is a map that divides the image into areas labeled by distinct Earth surface covers such as water, snow, and types of natural vegetation, rock formations, crops, and other man-created objects. Generally the goal of image segmentation is to partition an image into a certain number of pieces that have coherent features (color, texture, etc.) and, in the meanwhile, to group the meaningful pieces together for the convenience of perceiving. Most image segmentation approaches can be placed in one of three categories Characteristic feature Thresholding or clustering, Boundary detection, Region growing[1].

Characteristic feature Thresholding or clustering does not exploit spatial information, and thus ignores information that could be used to enhance the segmentation results. While boundary detection does exploit spatial information by examining local edges found throughout the image data, it does not necessarily produce closed connected region boundaries. For simple noise-free data, detection of edges usually results in straightforward region boundary delineation. However, edge detection on noisy, complex image data often produces missing edges and extra edges that

cause the detected boundaries to not necessarily form a set of close connected curves that surround connected regions. Region growing approaches to segmentation are preferred here because region growing exploits spatial information and guarantees the formation of closed, connected regions. In image analysis, the group of image data points contained in each region provides a statistical sampling of image data values for more reliable labeling based on image feature values.

With the spatial resolution of remotely sensed imagery increased, traditional pixel-based remote sensing analysis may have some limits, which leads to the development of an object-based image analysis (OBIA) method [2]. Image segmentation is the first step of OBIA. It is to partition an image into meaningful homogeneous regions corresponding to real world objects. The effectiveness of OBIA is directly affected by the segmentation quality. Hence, an evaluation of segmentation results is very important for the subsequent analysis. OBIA is a key factor in determining the level of performance for these image analysis approaches.

The best merge region growing approach was first fully described in the archival literature by Beaulieu and Goldberg [3]. In this approach proposed the hierarchical stepwise optimization (HSWO), which employs a sequence of optimization processes to produce hierarchical segmentation results of different levels of details, and has been widely used for analysis of remote sensing images. HSWO is best defined iteratively: Start with an image and a segmentation of that image into  $N$  regions in which (i) every picture element (pixel) is in a region, (ii) and each region is connected, (*i.e.* composed of contiguous image pixels). Then compare all spatially adjacent regions with each other (*e.g.*, compute a vector norm between the region means of the spatially adjacent regions). Merge the most similar pair of spatially adjacent regions.

- N.M.Shalini, PG Scholar, RVS College of Engineering and Technology, Coimbatore. E-mail: nmshalinis3@gmail.com
- D.Jeyakumari, Associate Professor, RVS College of Engineering and Technology, Coimbatore is currently working Associate Professor Department of Electronics and Communication Engineering in RVS College of Engineering and Technology, Coimbatore, E-mail: dgjeyakumari@gmail.com

Continue to compare spatially adjacent regions and merge the most similar pair of spatially adjacent regions until either a specified number of regions are reached or the dissimilarity between the most similar pair of spatially adjacent regions reaches a specified threshold.

Similar approaches of best merge region growing described earlier in conference proceedings[4], [5], [6], [7]. Many variations on best merge region growing have been described in the literature. As early as 1994, Kurita [8] described an implementation of HSWO that utilized a heap data structure [9] for efficient determination of best merges and a dissimilarity criterion based on minimizing the mean squared error between the region mean image and original image.

SEGEN [10] is an efficient region growing algorithm for the segmentation of multi-spectral images in which the complexity of the most time-consuming operation in region growing, merging segment neighborhoods, is significantly reduced. In addition, considerable improvement is achieved by preprocessing, where adjacent pixels with close colors are gathered and used as initial segments. The preprocessing provides substantial memory savings and performance gain without a noticeable influence on segmentation results. In practice, there is an almost linear dependency between the runtime and image size. It is relatively pure implementation of best merge region growing, optimized for efficiency in performance, memory utilization, and image segmentation quality. The process for selecting the best merges is much more involved than the relatively straightforward evaluation and comparison of region dissimilarity functions utilized by HSWO and SEGEN.

There are several drawbacks in the image segmentation of remotely sensed imagery. In some places sensor noise or irregularities in land cover features (*e.g.* too much bare soil showing through a vegetation canopy in one small area of a field) also leaves isolated pixels in the middle of otherwise homogeneous segments. This problem frequently occurs in remotely sensed imagery. Other problems of segmentation are: may not preserve spatial relationships, potentially high computational complexity, Segmentation primarily uses color intensity, Single condition for when to stop segmentation and segmentation result is non-optimal in which uncertainties exist. If the similarity threshold is set too low the growing process will leave many pixels unassigned to segments. If the similarity threshold is too high, segments representing different land cover parcels will be incorrectly merged together. Another problem occur in remotely sensed imagery is the within -field variation. Due to the natural causes for example wet spots, dry spots, different soil types etc the spectral of neighboring pixels are not necessarily similar. To overcome these drawbacks hybrid technique is introduced. In this paper proposed the hierarchical image segmentation. It is the hybrid of region growing and spectral clustering.

In complex scenes, such as remotely sensed images of the Earth, objects with similar spectral signatures (*e.g.*, lakes, agricultural fields, buildings, etc.) appear in spatially separated locations. In such cases, it is useful to aggregate these spectrally similar but spatially disjoint region objects together into groups of region objects that call region classes. This aggregation may be performed as a post processing step. However, best merge region growing, as exemplified by HSWO, may be modified to integrate this aggregation directly into the region growing process. This is the basis of our hierarchical segmentation (HSeg) algorithm.

The HSWO, HSeg, and RHSeg algorithms naturally produce a segmentation hierarchy in the form of a set of several image segmentations at different levels of detail in which the segmentations at coarser levels of detail can be produced from simple merges of regions at finer levels of detail. This hierarchy may be useful for applications that require different levels of image segmentation details depending on the characteristics of the particular image objects segmented. A unique feature of a segmentation hierarchy that distinguishes it from most other multilevel representations is that the segment or region boundaries are maintained at the full image spatial resolution for all levels of the segmentation hierarchy.

This paper is organized as follows. First, we provide a full description of the original HSeg and RHSeg algorithms. Then introduce refinement of HSeg and note how this refinement of HSeg impacts RHSeg. Next introduce refined HSeg with Bayesian network. Using this proposed method the computation time is considerably reduced as shown in the segmentation and also shown that the segmentation quality also increased. The computational demands of HSWO, the original HSeg, the RHSeg utilizing the original HSeg, the refined HSeg algorithm, compared using different remote sense imagery. Next, evaluate image segmentation quality. Then show that the refined HSeg algorithm leads to improved flexibility in segmenting moderate- to large sized high spatial resolution images

## 2 ORIGINAL HSEG

The hierarchical image segmentation approach described herein, called HSeg, is a hybrid of region growing and spectral clustering that produces a hierarchical set of image segmentations based on detected natural convergence points[11]. A hierarchical set of image segmentations is a set of several image segmentations at different levels of segmentation detail in which the segmentations at coarser levels of detail can be produced from simple merges of regions from segmentations at finer levels of detail. Maintaining region boundaries at full image spatial resolution avoids compounding the "mixed pixel" problem which adversely impacts other multiresolution segmentation schemes in which

the coarser resolution segmentations are produced from spatially degraded versions of the imagery data.

HSeg is the same as HSWO, except that HSeg optionally alternates merges of spatially adjacent regions with merges of spatially non-adjacent regions. In addition, HSeg also offers a wide choice of cost functions. Currently implemented are cost functions based on vector norms (1-norm, 2-norm and infinity-norm), and mean squared error. Other cost functions can be implemented (e.g. statistical hypothesis testing, constraining image entropy, normalized vector distance, and others).

The HSeg algorithm is very computationally intensive, and cannot be performed in a reasonable amount of time (less than a day) on moderately sized data sets, even with the most powerful (single processor) computer currently available. For example, for a 6-spectral band Landsat TM image, a 128x128 pixel section takes about 25 minutes to process on a 1.2 GHz single processor computer. A 256x256 pixel section of the same image takes over 7.5 hours to process on the same computer. By extrapolation, a 512x512 pixel section of the same image would easily take several days.

The hierarchical segmentation algorithm extends to hyperspectral images. The original HSeg algorithm augments best merge region growing with the inclusion of constrained merging of spatially nonadjacent regions. In Hierarchical segmentation nonadjacent region objects merging are controlled by the input parameter  $S_{weight}$ . This parameter values adjust from 0.0 to 1.0. The algorithm is as follows

- 1) Initialize the segmentation by assigning each image pixel a region label. If a presegmentation is provided, label each image pixel according to the presegmentation. Otherwise, label each image pixel as a separate region.
- 2) Calculate a dissimilarity criterion value  $d$  between all pairs of regions (if  $S_{weight}=0.0$ , the dissimilarity criterion only needs to be calculated between all pairs of spatially adjacent regions).
- 3) Set the merge threshold  $T_{merge}$  equal to the smallest dissimilarity criterion value  $d$  between pairs of spatially adjacent regions.
- 4) Merge pairs of spatially adjacent regions with  $d = T_{merge}$ .
- 5) If  $S_{weight} > 0$ , merge pairs of nonadjacent regions with  $d \leq S_{weight} \cdot T_{merge}$ .
- 6) Output the segmentation result if the output criterion is satisfied (more on this later).
- 7) Stop if convergence has been achieved. Otherwise, go to step 8. Convergence is normally considered to be achieved when a specified number of regions have been reached (by default, two regions).
- 8) Update the dissimilarity criterion values  $d$  for the regions affected by merges, and return to step 3.

Since segmentation results with a large number of regions are usually severely over segmented and thus not of interest, HSeg does not normally output the hierarchical segmentation results until the number of regions reaches a user-specified value (by default, 255 regions). After that point, HSeg normally outputs a subsequent hierarchical segmentation result at the iteration just prior to the iteration at which any region would be involved in more than one merge since the last result was output. Alternatively, HSeg can be set to output hierarchical segmentation at a user specified list of number of regions or list of merge thresholds. One can select from a number of criteria for evaluating how dissimilar one region is from another in HSeg. These dissimilarity criteria include criterion based on vector norms, minimizing the mean square error difference or the change in entropy between the region mean image and the original image, among others ([12]).

When  $S_{weight} = 0.0$ , spatially nonadjacent region merges (step 5) are not performed, and HSeg reduces to straightforward best merge region growing. This serves as implementation of HSWO. With  $S_{weight} = 1.0$ , merges between spatially adjacent and spatially nonadjacent regions are given equal priority. For values of  $S_{weight}$  between 0.0 and 1.0, spatially adjacent merges are given priority over spatially nonadjacent merges by a factor of  $1.0/S_{weight}$ . Thus, for  $S_{weight} > 0.0$ , region objects (i.e., spatially connected regions) may be aggregated into spatially disjoint groupings that called region classes.

What regions are considered to be spatially adjacent to other regions depends on the definition of a neighborhood relationship. HSeg use the usual  $n$ -nearest neighbor concept to define spatial adjacency for image pixels, most commonly four nearest neighbors (north, south, east, and west; referred to as 4 nn) or eight nearest neighbors (including the diagonal pixels; referred to as 8 nn). Regions adjacent to a region are the union of the region memberships of the neighbors of the pixels on the boundary of that region.

Benefits of hierarchical image segmentation are improved analytical capabilities, increased speed, refined results, maximized flexibility and control, increased accuracy, enhanced ease of use and the applications are aircraft or satellite remote sensing, monitoring agricultural crops, identifying buildings and roadways, determining population densities and areas with the greatest growth, analyzing ground-penetrating radar data, medical imaging and Chest imaging screening for lung cancer, computer-aided detection (CAD), cervical cancer imagery, computed tomography (CT) scans, magnetic resonance imaging (MRI), and ultrasound imagery and X-ray image analysis, image data mining and knowledge discovery and feature searches in large image database, image data fusion, facial recognition, sonar and radar data analysis etc.

## RECURSIVE HSEG

With the addition of alternating iterations of spectral clustering in the HSEG algorithm, the computational demands significantly increase. This is caused primarily because of the requirement to update or calculate the dissimilarity criterion values for all pairs of regions in steps 2 and 8. For a 1024 x 1024 pixel image, this leads to the order of 10000000 comparisons in the initial processing stage. Nevertheless, this computational obstacle is surmounted by the recursive formulation of the HSEG algorithm, RHSEG. This recursive form not only limits the number of comparisons between spatially non-adjacent regions to a more reasonable number, but also lenses itself to a straightforward and efficient implementation on parallel computing platforms. In regards to the definition of RHSEG, it follows the same as the RHSWO and includes the definition of processing window artifact elimination.

The recursive formulation of HSEG (RHSEG), however, can process moderately sized images in a reasonable amount of time on currently available PCs and workstations. RHSeg was an excellent choice because it provided the image segmentations required for input, based on three key factors: (1) the high spatial fidelity of image segmentations produced by RHSeg, (2) the ability of RHSeg to automatically group spatially connected region objects into region classes, and (3) the hierarchical set of image segmentations that RHSeg automatically produced.

## 4 REFINED HSEG

In this refined implementation of nonadjacent region object aggregation in HSeg that reduces the computational requirements of HSeg without resorting to the recursive approximation. In this refinement, HSeg's region intercomparisons among nonadjacent regions are limited to regions of a dynamically determined minimum size. This refined version of HSeg can process moderately sized images in about the same amount of time as RHSeg incorporating the original HSeg. The refined HSeg algorithm leads to improved flexibility in segmenting moderate- to large sized high spatial resolution images.

Initially set  $P_{min}$  to the smallest value such that  $N_{large} \leq S_{max}$ . If this results in  $N_{large} < S_{min}$ , the value of  $P_{min}$  is reduced by one (unless it is already equal to one), and the value of  $N_{large}$  with this new value of  $P_{min}$  is determined. If this new value of  $P_{min}$  results in  $N_{large} > 6 \cdot S_{max}$ , the value of  $P_{min}$  is incremented back up by one. Finally, if this later adjustment results in  $N_{large} < 2$ , the value of  $P_{min}$  is again reduced by one, regardless of whether this results in  $N_{large} > 6 \cdot S_{max}$ . Whenever the value of  $P_{min}$  is changed, "local" values of  $S_{max}$  and  $S_{min}$  are determined (call them  $S_{max}$  and  $S_{min}$ ), and the value of  $P_{min}$  is checked only when the number of "large regions" becomes less than  $S_{min}$

(and the value of  $P_{min}$  is more than one) or becomes larger than  $S_{max}$ . This prevents performing unnecessary computations when it is unlikely that the value of  $P_{min}$  would be changed. The values of  $S_{min}$  and  $S_{max}$  are recalculated whenever  $P_{min}$  is checked for adjustment. For  $S_{min}$ , let  $S_{min} = N_{large}$ . However, if  $N_{large} \leq S_{max}$ , compute  $temp = S_{max} - 2 \cdot (S_{max} - N_{large})$ , and if  $temp > S_{min}$ , let  $S_{min} = temp$ . If  $S_{min} > N_r$  (the current number of regions, both "large" and "small"), let  $S_{min} = N_r$ . Compute  $\max S_{min} = S_{max} - 0.05 \cdot (S_{max} - S_{min})$ . If  $S_{min} > \max S_{min}$ , let  $S_{min} = \max S_{min}$ . For  $S_{max}$ , if  $N_{large} > S_{max}$ , let  $S_{max} = N_{large}$ . Otherwise, let  $S_{max} = S_{max}$ . Like the original versions, the refined version of HSeg includes an option for small region merge acceleration.

## 5 PROPOSED METHOD

### 5.1 REFINED WITH BAYESIAN HSEG

In the existing method the segmentation quality and reduction of processing time was improved using different algorithm. The proposed method also used to reduce the processing time and increase the segmentation quality better than the existing method. In this better performance is obtained by using last existing method (refined HSeg) is added to the Bayesian network. That is the refined version of hierarchical image segmentation is added to the Bayesian network. Using the Bayesian network the similarity calculation was performed.

Bayesian networks (BNs), also known as belief networks (or Bayes nets for short), belong to the family of probabilistic graphical models (GMs). BNs became extremely popular models in the last decade. They have been used for applications in various areas, such as machine learning, text mining, natural language processing, speech recognition, signal processing, bioinformatics, error-control codes, medical diagnosis, weather forecasting, and cellular networks.

Bayesian refers to methods in probability and statistics. Bay's theorem gives the relationship between the probabilities. Bayesian probability is one of the different interpretations of the concept of probability and belongs to the category of evidential probabilities. The Bayesian interpretation of probability can be seen as an extension of propositional logic that enables reasoning with propositions whose truth or falsity is uncertain. The Bayesian interpretation provides a standard set of procedures and formulae to perform this calculation. For example probabilities of A and B is  $P(A)$  and  $P(B)$  and the conditional probabilities of A given B and B given A,  $P(A|B)$  and  $P(B|A)$ . In its most common form, it is:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)} \quad (1)$$

The Bayesian methods are characterized by the following concepts and procedures: 1) The use of random variables to model all sources of uncertainty in statistical models. This includes not just sources of true randomness, but also uncertainty resulting from lack of information. 2) The sequential use of the Baye's formula: when more data become available after calculating a posterior distribution, the posterior become the next prior. 3) For the frequentist a hypothesis is a proposition. So that the frequentist probability of a hypothesis is either one or zero. In Bayesian statistics, a probability can be assigned to a hypothesis that can differ from 0 or 1 if the true value is uncertain.

The Bayesian region merging probability is a significant contribution since: In the presence of uncertainty, when parameter estimates are poor, the Bayesian region merging probability gives an appropriate measure of the likelihood of merging two regions. The formalism applies to a wide class of statistical image models. Since the approach is Bayesian, a straightforward extension to multiple, independent image models are available. The formalism applies to a wide class of statistical image models.

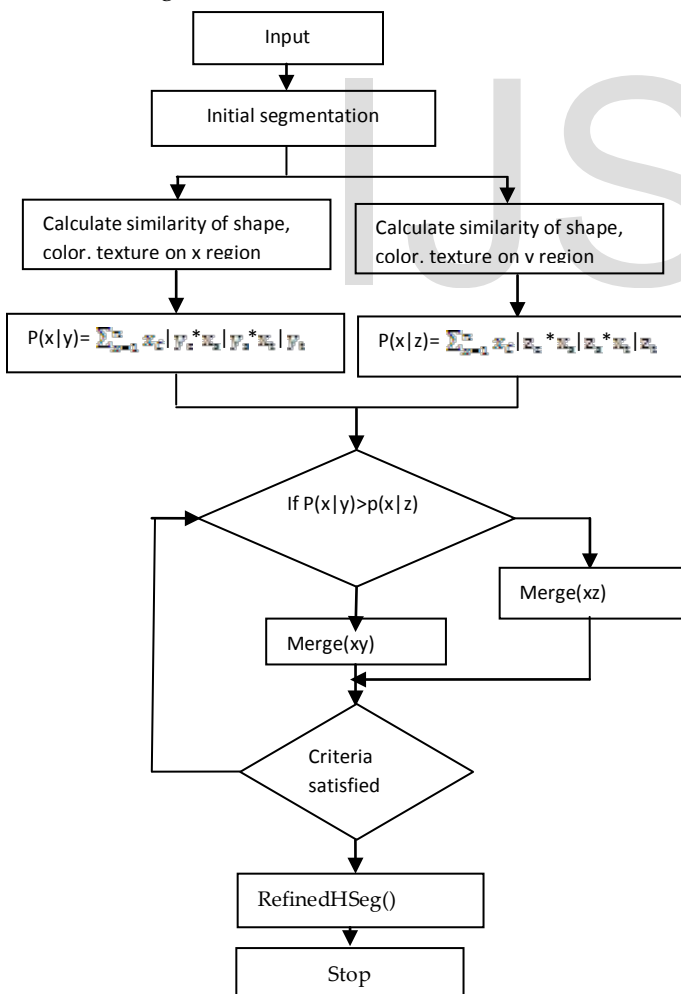


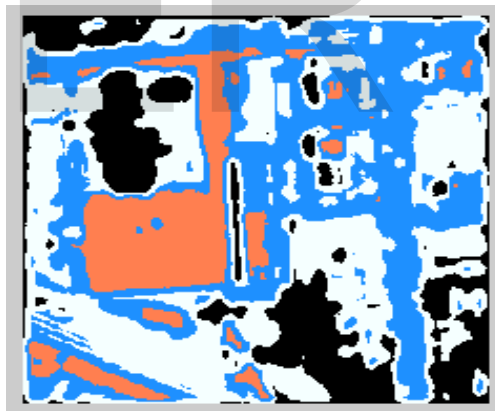
Fig 1. Flow chart of proposed method

## 6 RESULTS AND DISCUSSION

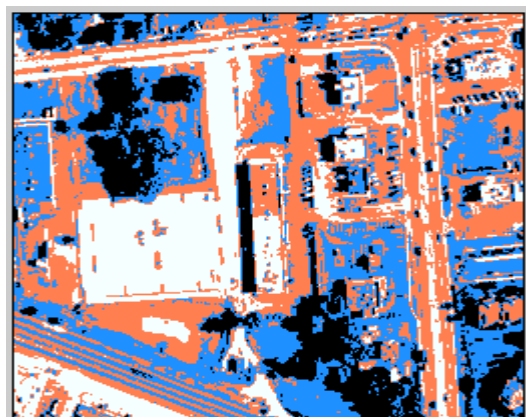
Proposed refined segmentation described in this paper has been processed using MATLAB version 7.12 R2011a. It reduces the computing time and increases segmentation quality. The time comparison of existing methods and proposed method graph was obtained (HSeg, RHSeg and refined HSeg). The proposed method that is, the refined version HSeg which reduces the computational requirements of the original version of HSeg by limiting the region object aggregation step to regions containing a dynamically varied minimum number of pixels.



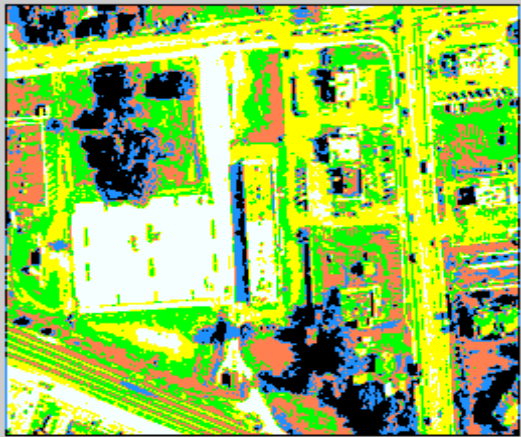
a) Original Image



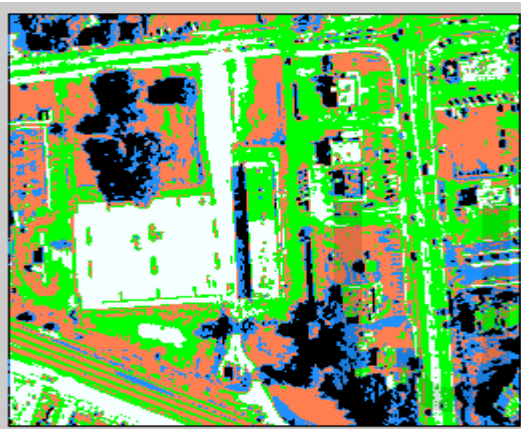
b) Hierarchical Segmentation



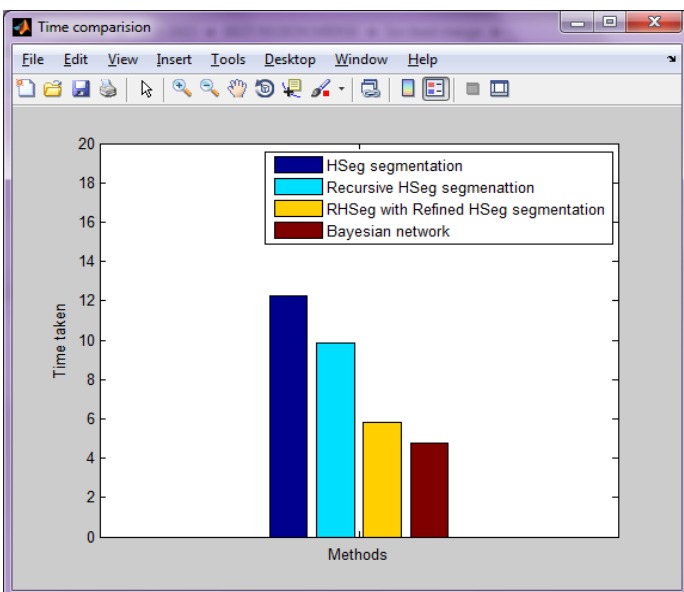
c) Recursive Hierarchical Segmentation



d) Refined Hierarchical Segmentation



e) Refined with Bayesian Hierarchical Segmentation



f) Timing Diagram

Fig 2. Different version of Hierarchical Image Segmentation Results and its Timing Diagram

Figure 2. Shows the different version of hierarchical image segmentation. The original image can be processed the different version of HSeg. Figure 2(b) is the result of hierarchical image segmentation. The processing time of hierarchical image segmentation is 12.4870 seconds. It consists of small number of region. But the speed of the segmentation process is low. Figure 2(c) shows the recursive hierarchical image segmentation. It consists of large number of region and the processing time is small compared to HSeg. Its processing time is 9.0286 seconds. Figure 2(d) shows the result of refined hierarchical segmentation. Its processing time is 5.2375 seconds. Figure 2(e) shows the result of proposed refined with Bayesian hierarchical image segmentation. Its processing time is small compared to other method. Its processing time is 3.7275 seconds.

## 7 CONCLUSION

The refined Hierarchical Segmentation with Bayesian was proposed and processed using MATLAB. The performance of the different version of hierarchical image segmentation is analyzed. The proposed method is compared to the existing method using the time consumption graph. The proposed method reduces the processing time. The different feature probabilities such as shape, color, texture are classified and merged accordingly. The proposed method limits the region object aggregation step to region, so the speed of process is increased and the quality was improved.

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